

## Statistical model for IC<sub>50</sub> determination of acetylcholinesterase enzyme for Alzheimer's disease

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### ABSTRACT

This study aimed to formulate a suitable statistical model to determine acetylcholinesterase enzyme's half-maximal inhibitory (IC<sub>50</sub>) by a series of synthetic compounds. It was done with the same core structure for acetylcholinesterase inhibition for anti-Alzheimer's disease (AD). The IC<sub>50</sub> of eighteen synthesized compounds on anticholinesterase activities was obtained and statistical methods were applied. Regression models were fitted to the dose-response curve to look for their IC<sub>50</sub>. Simple linear regression is the simplest model for the dose-response curve. However, polynomial regression models or non-linear regression models fit the data more accurately. The adjusted coefficient of determination ( $R_{adj}^2$ ) was used to determine the best model among the linear models, while the root mean square error (RMSE) is more suitable in determining the goodness of fit between linear and non-linear model. Four-parameter logistic (4-PLR) regression often fits the dose-response data closely. Based on the RMSE value, a polynomial regression fitted better than 4-PLR with the IC<sub>50</sub> of 245.52.

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## 1. INTRODUCTION

Alzheimer's disease (AD) is a general term for dementia that denotes severe memory loss, language and other intellectual abilities. The exact cause is unknown but it is very likely related to environmental and genetic factors. This disease is 6th leading cause of death in the world [1], [2]. The majority of patients were 65 years of age or older. Symptoms develop slowly and get worse over time. Alzheimer's patients cannot be cured. Instead, treatment can be used to reduce the acceleration of the effects, which involves the treatment of cholinesterase inhibitors [3] to improve cognitive function.

Synthesis of a series of compounds with the same core skeleton is commonly used to improve their biological activities. Thus, it is good to discover compounds with good anti-acetylcholinesterase activities for Alzheimer's disease [2]. Multi-well plates are often used in many kinds of biological assays in pharmacological research. The parameter of interest is usually the concentration of drug dose corresponding to the median response. A measure of a drug's potency is the half-maximal inhibitory concentration (IC<sub>50</sub>), which is the amount of drug needed to inhibit a biological process by 50%, [4]. The lower the IC<sub>50</sub> value, the lower the drug concentration is required [5]. A lower drug dose is preferred because a higher drug concentration may harm our health.

In fitting the dose-response curve, simple linear regression (SLR) is the most straightforward statistical tool to estimate the relationships among the variables. It studies the functional dependencies between factors. The term functional dependencies imply that the independent variable determines the value of the dependent variable. In some situations, simple linear regression does not hold. Hence, polynomial regression is introduced in which the relationship of independent variables and the dependent variable is modeled by  $n$ th degree polynomial. It fits a linear relationship between the variable  $x$  and  $y$ .

Non-linear regression is another powerful model that can fit virtually any curve. For example, logistic regression fits dose-response data and estimates the expected responses at different doses. A simple 2 parameter logistic regression model adequately summarizes how a binary response relates to dose. The dose-response curve has a lower asymptote of zero and an upper asymptote of one, the limits of the expected range of response probabilities. However, when the response variable is continuous, three or more parameters would be more appropriate [6]. For generalizing t2-parameter logistic regression model, two more parameters need to be added. The upper response asymptote may be less than one, and the lower response may be more than zero. The resulting four-parameter logistic (4-PLR) model increases flexibility at a higher optimization cost. The 4-PLR model [5] is illustrated as (1):

$$y = d + \frac{a-d}{1+(\frac{x}{c})^b} \quad (1)$$

where  $a$  is the minimum value of the response variable,  $b$  is the hill slope,  $c$  is the inflection point,  $d$  is the maximum value of the response variable,  $y$  is the dependent variable and  $x$  is the concentration variable used. The hill slope refers to the rate at which the response decreases concerning the dose. The inflection point is the dose corresponding to the median response. The 4-PLR has several characteristics [7]. For instance, it is perfect symmetry for the sigmoidal curve (S-curve) at its inflection points. It assumes the response is symmetric about the median response and it is monotonic with either constantly increasing or decreasing with the  $x$  variable. The research objective is to formulate a suitable statistical model to determine the IC50 of a series of synthetic compounds with the same core skeleton for Alzheimer's disease.

## 2. LITERATURE REVIEW

### 2.1. Previous research on Alzheimer's disease

Many statistical methods have been widely used in the AD research field. An analytic method using non-parametric smoothing has proved the scores from several measures can be combined and related to a time-index estimation of dementia severity based on disease time course or duration [8]. Mini mental state examination (MMSE) has been used extensively to measure the severity of dementia in AD. Research by [9] proposed a method based on "time-index" and modeled the change in the MMSE as a function of time and showed that AD progression over time could be modeled by cubic or a logarithmic function of MMSE score.

Statistical parametric mapping (SPM) algorithm in diagnosing the early stage of AD was discussed in [10]. A few years later, [11] applied the multivariate analysis based on the principal component analysis to evaluate the correlation covariance of activation across brain regions rather than proceeding on a voxel-by-voxel basis. Furthermore, research on edge detection, which is an important initial step in the image processing of the analysis of CT scan image, which is similar to [10], was done by [12] using Weibull. The advantage of this approach over the Gaussian distribution is that it has a limitation to only symmetric shape but Weibull distribution has a symmetric and asymmetric shape.

A study about an acetylcholinesterase inhibitory activity on some herbal medicine to bring in a new management for AD by applying Student's t-test to compare the mean  $\pm$  SD of the herbal medicine has been carried out by [13]. In the same year, [14] showed that the long-run longitudinal study and meta-analysis examining the broad factors and specific personality facts are associated with the increased risk of AD. Another statistical analysis which is known as multivariate analysis of covariance (MANCOVA), is used to discuss that active smoking is related to a significantly increased risk of AD by [15].

Multi-resolution statistical analysis of brain connectivity graphs in preclinical AD and showed significant connective difference between AD individuals [16]. The proposed algorithm helps identify the potentially subtle differences between patient groups. On the other hand, meta-analysis is applied to investigate whether chronic exposure to aluminum is associated with an increased risk of AD [17]. In the same year, the Q test and I2 statistics were used to examine the heterogeneity between selected studies. In the same year, [18] proposed a delayed-start analysis approach for the first time implemented in the field of AD. They suggested that solanezumab has demonstrated that the expedition program is consistent with a disease-modifying effect in mild AD patients. Recently, Bayesian statistics enhanced the efficiency in analyzing the study data of a disease-modifying drug in AD [19]. Besides, a systematic review and meta-analysis carried out by [20] showed that insomnia is associated with an increased risk for dementia.

## 2.2. Polynomial regression

A linear regression analysis was used to compute the IC<sub>50</sub> for reducing prostaglandin E<sub>2</sub> content by different test substance concentrations [21]. In order to compare between regressions models, coefficient of determination, R<sup>2</sup> can be used and it can be the goodness-of-fit test of models [22]. Besides, the second degree of a polynomial was used to compute the IC<sub>50</sub> of a drug by [23]. Meanwhile, [24] proposed a nonparametric model to describe the dose-response relationship and fit the curve by polynomial regression.

Shapiro-Wilk and Anderson Darling tests were adequate for normality when the sample size equals 20 in simple linear regression [25]. When the normality assumption of a simple linear model is not achieved, transformation can be applied [26]. For convenience in inference and improved efficiency in estimating simple linear regression, analyses often incur additional assumptions other than the normally distributed error [27].

## 2.3. Four-parameter logistic regression (4-PLR)

The 4-PLR model-fitting approach has been proven to increase variance along with the mean response [7]. They illustrated it by radioimmunoassay (RIA) and enzyme-linked immunosorbent (ELISA). The extended 4-PLR model in multianalyte analysis (MELISA) is discussed and compared with a more simplistic approach in ELISA [28]. An add-on package for R-language that simultaneously fits several non-linear regression models focusing on analyzing dose-response curves had been introduced [29]. The functionality applies to arbitrary non-linear regression models such as the 4-PLR model.

A few comparative fit of non-linear models where 4-PLR model is included was carried out on bone marrow endothelial cell lines, replicated at various doses of an inhibitory agent [30]. Meanwhile, [31] developed an EM algorithm suited for maximum likelihood estimation under the 4-PLR model after conceptualizing the problem as a mixture of subpopulations. Some subjects respond regardless of dose, some fail to respond regardless of dose, and some fail regardless of respond with a probability that depends on the dose. The 4-PLR model hill equation is used to derive IC<sub>50</sub> in HDAC4 and ENPP2 high-throughput screening data sets and compared with a series of numerical simulations [32].

Moreover, [33] had shown that several approaches, including the 4-PLR model to quantify the inhibition of drug efflux in a cell assay, can result in different IC<sub>50</sub> values. In the same year, [34] presented a Solver-based Microsoft Excel template and a stand-alone GUI-based “point and click” program, called HEPB to fit the Hill equation. Both programs estimate Hill equation parameters were identical to GraphPad Prism and programming language R. When the actual curve is asymmetric, [6] showed that sometimes the 4-PLR model offers better performance due to bias-variance trade-off than 5PL. Another approach for dose-response includes the 4-PLR model has been proposed [29]. Although the 4-PLR model is often used in the dose-response curve, from the new algorithm, a portion of cases was proved better described by a multiphasic model than the Hill model [35].

## 3. RESEARCH METHOD

### 3.1. Data

The data were obtained from an experiment that undergoes Ellman’s colorimetric method. Some minor calculations were needed to determine the inhibitory activities of acetylcholinesterase (AChE) [36]. Electric eel AChE acted as the enzyme source, while acetylcholine iodide (ATCI) acted as substrates of the reaction. Meanwhile, 5,5’-dithio-bis-2-nitrobenzoic acid (DTNB) was used to measure the cholinesterase activity.

Sodium phosphate buffer was added to the 96 wells, followed by the synthesized compound solution at different concentrations and AChE solution. The mixture was then incubated for a period at room temperature. After that, the reaction was initiated by adding DTNB and ATCI. The hydrolysis of ACh was determined by monitoring the formation of yellow 5-thio-2-nitrobenzoate anion due to the reaction of DTNB with thiocholine, released by the enzymatic hydrolysis of ACh at a wavelength of 412 nm utilizing a 96-well plate reader. The absorbance reading was recorded 10 times with a 1-minute interval by using a microplate reader. The percentage of inhibition of AChE was determined by Equation 1, where PI was the percentage of inhibition, b<sub>c</sub> was the slope of control (without any drug) and b<sub>d</sub> was the slope of synthesized compounds or tacrine.

$$PI = \frac{b_c - b_d}{b_c} \times 100 \quad (2)$$

Eighteen synthetic compounds with the same core structures were synthesized. All the compounds labeled 8, 9, 11, 15, 16, 17, and 18 did not show any inhibition within the tested concentration range. Hence,

their results were discarded. The results from the remaining synthetic compounds were kept for further analysis.

### 3.2. Methodology

The following polynomial regression models were used to fit the PI data set using to determine the  $IC_{50}$ . The fitted models of all the equations were then written as (3)-(6):

$$\hat{y} = b_0 + b_1x \quad (3)$$

$$\hat{y} = b_0 + b_1x + b_2x^2 \quad (4)$$

$$\hat{y} = b_0 + b_1x + b_2x^2 + b_3x^3 \quad (5)$$

$$\hat{y} = \hat{d} + \frac{\hat{a}-\hat{d}}{1+(\frac{x}{\hat{c}})^b} \quad (6)$$

where  $b_0, b_1, b_2, b_3, \hat{a}, \hat{d}$ , and  $\hat{c}$  are the estimated parameters.

Since there are several models can be used to fit the PI data set, adjusted coefficient of determination ( $R_{adj}^2$ ) was used to determine the best fitted linear regression models among SLR, quadratic regression (QR), and cubic regression (CR) [37]. The  $R_{adj}^2$  is a modified version of coefficient of determination ( $R^2$ ) adjusted for the number of predictors in the model. It increases when the new term improves the model and decreases when the predictors improve it less than expected. High  $R_{adj}^2$  indicates that the model is fitted adequately. Hence, the best fit of linear regression always goes to the one with a higher  $R_{adj}^2$ .

The  $R_{adj}^2$  is suitable for comparing the linear regressions with a different number of terms. Unfortunately, using non-linear models such as 4-parameter logistic regression [32]. The root means square error (RMSE) is more appropriate in determining the goodness of fit between non-linear and linear models [38]. It measures the differences between the predicted values and observed values. In contrast with  $R_{adj}^2$ , the lower RMSE indicates a better model fit. The RMSE is written as (7):

$$RMSE = \sqrt{\frac{(\hat{y}_i - y_i)^2}{df_e}} \quad (7)$$

where  $\hat{y}_i =$   $i$ th fitted response,  $y_i =$   $i$ th observed response value, and  $df_e =$  degree of freedom of the error term.

Once the best model was identified, estimated equations were formed with its estimated coefficient. Then, substitute the value of 50% at the response variable  $y$ . The value of  $x$  is the  $IC_{50}$  in the unit of microgram per millimeter ( $\mu g/mL$ ). At  $y$  equal to 50%, the QR and CR curves could have more than one value of  $x$ . Hence, the lowest positive distinct point was chosen as the  $IC_{50}$ , and discarded the other [23].

## 4. RESULTS AND DISCUSSION

### 4.1. Comparing the linear models

Table 1 displays the results of fitting the linear regressions for compound 1 at each replication. The fitted equation was  $\hat{y} = 21.03 + 0.09339x$  with the  $R_{adj}^2 = 91.8$ . It indicated that 91.8% of the inhibition of compound 1 could be explained by the concentration used. This result is in line with the research conducted by [39], who found that the inhibition of acetylcholinesterase is an essential enzyme for Alzheimer's disease. Moreover, [40] and [41] stated that inhibitor concentration significantly influences activity inhibition.

Then, the  $R_{adj}^2$  increased to 94.3 and 94.2 when QR and CR were fitted to the data, respectively. The increment in  $R_{adj}^2$  suggested that the QR and CR were better than SLR. Since there were minor differences in the value  $R_{adj}^2$ , the QR was selected as the best-fitted model due to its simplicity of lower degree of the polynomial model. As a result, the selected model for the first replication was  $\hat{y} = 17.01 + 0.1545x - 0.000082x^2$ .

At the second experiment run, the  $R_{adj}^2$  for all three fitted models were lower than the  $R_{adj}^2$  of the first experiment. However, it had similar results with the first run. The cubic regression (CR) and quadratic regression (QR) fit better than SLR, but QR and CR were very close to each other. The QR was selected again as the best model due to its simplicity. The  $R_{adj}^2$  for the three fitted models for  $n = 3$  were not similar to

each other. Hence, the best-fitted model went to the SLR with the highest  $R_{adj}^2$  at 90.8 and the fitted equation was  $\hat{y} = 30.10 + 0.07475x$ . In summary, the selected model for compound 1 at each replication was listed in Table 1. An additional column is the  $IC_{50}$ , which was calculated based on the corresponding selected fitted regression.

Table 2 displays the  $IC_{50}$  of compound 1 for each experimental unit. The  $IC_{50}$  for data at the first experiment run was 245.52  $\mu\text{g/mL}$  which indicated that 245.52  $\mu\text{g/mL}$  of compound 1 was needed to perform a 50% inhibition. Compared with  $n=2$  and  $n=3$ , the amount needed to have a 50% inhibitory was 216.61  $\mu\text{g/mL}$  and 266.22  $\mu\text{g/mL}$ , respectively. At each replication, the  $IC_{50}$  obtained was slightly different from each other, but they represent the same inhibitory ability of the compound. Hence, the study of the mean of  $IC_{50}$  for each compound gave more informative results. The mean of these  $IC_{50}$  values was 242.78  $\mu\text{g/mL}$ . Overall, compound 1 needed an average value of 242.78  $\mu\text{g/mL}$  to get the 50% of inhibitory [5] with the electric eel acetylcholinesterase under Ellman's assay [36]. The rest of the synthetic compounds were analyzed using the same methods and the result of the  $IC_{50}$  was shown in Table 3. Overall, the lowest mean of  $IC_{50}$  exhibited by compound 3 (31.84  $\mu\text{g/mL}$ ) indicated its most substantial inhibition among the compounds, followed by compounds 6 (50.82  $\mu\text{g/mL}$ ) and 10 (57.15  $\mu\text{g/mL}$ ). However, the mean of  $IC_{50}$  obtained for these compounds showed that their inhibition effect was moderate if compared to the common standard drug tacrine, used in the Ellman's assay [42].

Table 1. Fitted simple, quadratic and cubic regression for compound 1 for each replication

ith experiment run, $n$	Type of regression	$R_{adj}^2$	Fitted equations
1	Simple Linear Regression	91.8	$\hat{y} = 21.03 + 0.09339x$
	Quadratic Regression	94.3	$\hat{y} = 17.01 + 0.1545x - 0.000082x^2$
	Cubic Regression	94.2	$\hat{y} = 19.17 + 0.08546 + 0.000162x^2 - 0.0000002056x^3$
2	Simple Linear Regression	79.5	$\hat{y} = 26.54 + 0.07338x$
	Quadratic Regression	87.0	$\hat{y} = 20.89 + 0.1593x - 0.000115x^2$
	Cubic Regression	87.4	$\hat{y} = 23.83 + 0.06503x + 0.000218x^2 - 0.0000002806x^3$
3	Simple Linear Regression	90.8	$\hat{y} = 30.10 + 0.07475x$
	Quadratic Regression	89.0	$\hat{y} = 29.83 + 0.07892 - 0.000006x^2$
	Cubic Regression	86.7	$\hat{y} = 30.82 + 0.04721x + 0.000106x^2 - 0.0000000944x^3$

Table 2.  $IC_{50}$  of compound 1 for each experimental run

ith experiment run, $n$	Selected fitted linear model	$IC_{50}$ ( $\mu\text{g/mL}$ )
1	$\hat{y} = 17.01 + 0.1545x - 0.000082x^2$	245.52
2	$\hat{y} = 20.89 + 0.1593x - 0.000115x^2$	216.61
3	$\hat{y} = 30.10 + 0.07475x$	266.22

#### 4.2. Choosing between linear and non-linear models

In the earlier discussion, besides  $R_{adj}^2$ , the better approach for choosing a more suitable linear and non-linear model is based on RMSE [43]. The estimated coefficients of 4-PLR for compound 1 are listed in Table 4. For  $n=1$  compound 1, the estimated 4-PLR model which is written as:

$$\hat{y} = 147.53 + \frac{17.94 - 147.53}{1 + \left(\frac{x}{658.35}\right)^{1.15}}$$

The RMSE of this estimated equation was 8.19. However, for the polynomial regression models of compound 1, the estimated QR had a RMSE of 6.97 for  $n=1$  which is smaller than the RMSE of the estimated 4-PLR. In contrast with  $R_{adj}^2$ , small RMSE indicates a better model. For  $n=2$  and  $n=3$ , both RMSE of selected fitted linear models were lower than fitted 4-PLR. Hence the final fitted model for compound 1 was best fitted by CR and SLR, respectively as shown in Table 4.

Table 3. The best fitted model and the IC<sub>50</sub> for each synthetic compound

Adamantane	<i>n</i>	$R_{adj}^2$	Best fitted linear model	IC <sub>50</sub>	Mean of IC <sub>50</sub>
1	1	94.3	$\hat{y} = 17.01 + 0.1545x - 0.000082x^2$	245.52	242.78
	2	87.0	$\hat{y} = 20.89 + 0.1593x - 0.000115x^2$	216.61	
	3	90.8	$\hat{y} = 30.10 + 0.07475x$	266.22	
2	1	97.8	$\hat{y} = 17.38 + 0.4085x - 0.001191x^2 + 0.000001x^3$	114.27	107.49
	2	91.1	$\hat{y} = 16.84 + 0.4279x - 0.001260x^2 + 0.000001x^3$	110.03	
	3	97.1	$\hat{y} = 27.99 + 0.2891x - 0.000759x^2 + 0.000001x^3$	98.16	
3	1	96.6	$\hat{y} = 13.85 + 0.4535x - 0.001141x^2 + 0.000001x^3$	104.82	104.66
	2	96.5	$\hat{y} = 15.59 + 0.3420x - 0.000315x^2$	112.21	
	3	99.3	$\hat{y} = 14.49 + 0.4385x - 0.000842x^2 + 0.000001x^3$	96.95	
4	1	95.8	$\hat{y} = -9.846 + 0.6693x - 0.001040x^2$	107.31	120.32
	2	74.0	$\hat{y} = 26.86 + 0.1740x$	132.99	
	3	98.6	$\hat{y} = 44.82 - 0.4051x + 0.004678x^2 - 0.000008x^3$	120.68	
5	1	91.0	$\hat{y} = -23.47 + 3.506x - 0.03957x^2 + 0.000123x^3$	30.40	31.84
	2	81.7	$\hat{y} = -4.07 + 2.738x - 0.02872x^2 + 0.000086x^3$	26.56	
	3	76.6	$\hat{y} = 19.26 + 0.9188x - 0.003155x^2$	38.56	
6	1	97.0	$\hat{y} = 5.238 + 1.171x - 0.004178x^2$	45.67	50.82
	2	84.3	$\hat{y} = 1.681 + 0.9317x - 0.002862x^2$	64.73	
	3	77.8	$\hat{y} = 17.68 + 0.9112 - 0.003392x^2$	42.05	
7	1	58.3	$\hat{y} = 29.06 + 0.2315x$	90.45	66.65
	2	85.4	$\hat{y} = 6.284 + 0.9319x - 0.003115x^2$	58.25	
	3	76.5	$\hat{y} = 25.64 + 0.5771x - 0.001984x^2$	51.24	
10	1	99.7	$\hat{y} = 24.10 + 0.6236x - 0.002381x^2 + 0.000003x^3$	50.73	57.15
	2	99.4	$\hat{y} = 21.86 + 0.4421x - 0.000659x^2$	71.21	
	3	96.2	$\hat{y} = 0.596 + 1.289x - 0.006330x^2 + 0.000009x^3$	49.52	
12	1	98.2	$\hat{y} = 9.625 + 0.1822x - 0.000095x^2$	255.68	229.07
	2	94.2	$\hat{y} = 1.537 + 0.3247x - 0.000435x^2 + 0.0000002051x^3$	195.94	
	3	99.1	$\hat{y} = 7.370 + 0.2104x - 0.000125x^2$	235.59	
13	1	96.7	$\hat{y} = 3.058 + 0.4787x + 0.002700x^2 - 0.000017x^3$	80.12	87.32
	2	89.0	$\hat{y} = 0.85 + 0.1192x + 0.00932x^2 - 0.000041x^3$	81.16	
	3	77.6	$\hat{y} = -5.58 + 0.7470x - 0.001936x^2$	100.67	
14	1	88.6	$\hat{y} = -14.22 + 0.6860x - 0.001371x^2 + 0.000001x^3$	119.79	115.73
	2	92.9	$\hat{y} = -15.93 + 0.6889x - 0.001296x^2 + 0.000001x^3$	120.47	
	3	95.6	$\hat{y} = -0.41 + 0.5763x - 0.001088x^2 + 0.000001x^3$	106.94	

Table 4. RMSE of 4-parameter logistic and polynomial regression of compound 1

4-parameter logistic regression						
<i>i</i> th Experiment run, <i>n</i>	Coefficients				RMSE	IC <sub>50</sub>
	$\hat{a}$	$\hat{b}$	$\hat{c}$	$\hat{d}$		
1	17.94	1.15	658.35	147.53	8.19	249.12
2	21.00	1.07	398.84	105.77	10.72	216.74
3	31.56	1.65	672.69	131.29	8.54	273.00
Polynomial Regressions Model						
<i>i</i> th Experiment run, <i>n</i>	Coefficients				RMSE	IC <sub>50</sub>
1	$\hat{y} = 17.01 + 0.1545x - 0.000082x^2$				6.97	245.52
2	$\hat{y} = 20.89 + 0.1593x - 0.000115x^2$				8.77	216.61
3	$\hat{y} = 30.10 + 0.07475x$				7.11	266.22

The comparison between the polynomial regression model and fitted 4-PLR non-linear models was listed as the final fitted model of Table 5. Although the fitted model 4-PLR is recommended to fit the dose-response curve, it is not always the best-fitted model in all cases. For instance, the 4-PLR was not the best-fitted model for compound 1. However, for compound 12, the 4-PLR was the best-fitted model for all replications *n*.

Table 5. Final fitted model, IC<sub>50</sub> and the mean of IC<sub>50</sub> of each synthetic compound

Adamantane	<i>n</i>	RMSE	Final Model	IC <sub>50</sub>	Mean of IC <sub>50</sub>
1	1	6.97	$\hat{y} = 17.01 + 0.1545x - 0.000082x^2$	245.52	242.78
	2	8.77	$\hat{y} = 20.89 + 0.1593x - 0.000115x^2$	216.61	
	3	7.11	$\hat{y} = 30.10 + 0.07475x$	266.22	
2	1	2.97	$\hat{y} = 17.38 + 0.4085x - 0.001191x^2 + 0.000001x^3$	114.27	107.49
	2	6.39	$\hat{y} = 16.84 + 0.4279x - 0.001260x^2 + 0.000001x^3$	110.03	
	3	2.67	$\hat{y} = 27.99 + 0.2891x - 0.000759x^2 + 0.000001x^3$	98.16	
3	1	6.76	$\hat{y} = 13.85 + 0.4535x - 0.001141x^2 + 0.000001x^3$	104.82	98.19
	2	6.49	$\hat{y} = 139.86 + \frac{11.09 - 139.86}{1 + \left(\frac{x}{209.60}\right)^{1.10}}$	97.84	
	3	1.17	$\hat{y} = 226.16 + \frac{1.10 - 226.16}{1 + \left(\frac{x}{678.54}\right)^{0.64}}$	91.90	
4	1	4.40	$\hat{y} = 89.51 + \frac{3.88 - 89.51}{1 + \left(\frac{x}{93.17}\right)^{3.65}}$	97.19	119.29
	2	14.79	$\hat{y} = 26.86 + 0.1740x$	132.99	
	3	3.07	$\hat{y} = 93.41 + \frac{38.13 - 93.41}{1 + \left(\frac{x}{156.28}\right)^{6.41}}$	127.68	
5	1	9.38	$\hat{y} = -23.47 + 3.506x - 0.03957x^2 + 0.000123x^3$	30.40	31.84
	2	12.34	$\hat{y} = -4.07 + 2.738x - 0.02872x^2 + 0.000086x^3$	26.56	
	3	12.24	$\hat{y} = 19.26 + 0.9188x - 0.003155x^2$	38.56	
6	1	4.95	$\hat{y} = 5.238 + 1.171x - 0.004178x^2$	45.67	50.82
	2	11.55	$\hat{y} = 1.681 + 0.9317x - 0.002862x^2$	64.73	
	3	10.40	$\hat{y} = 17.68 + 0.9112x - 0.003392x^2$	42.05	
7	1	13.59	$\hat{y} = 29.06 + 0.2315x$	90.45	62.69
	2	9.68	$\hat{y} = 69.65 + \frac{4.36 - 69.65}{1 + \left(\frac{x}{29.45}\right)^{1.85}}$	46.39	
	3	7.68	$\hat{y} = 25.64 + 0.5771x - 0.001984x^2$	51.24	
10	1	1.33	$\hat{y} = 211.69 + \frac{4.66 - 211.69}{1 + \left(\frac{x}{608.12}\right)^{0.50}}$	48.27	56.86
	2	2.14	$\hat{y} = 21.86 + 0.4421x - 0.000659x^2$	71.21	
	3	3.02	$\hat{y} = 80.10 + \frac{21.11 - 80.10}{1 + \left(\frac{x}{51.55}\right)^{4.59}}$	51.09	
12	1	4.21	$\hat{y} = 110.94 + \frac{13.73 - 110.94}{1 + \left(\frac{x}{331.94}\right)^{1.67}}$	243.48	215.93
	2	8.02	$\hat{y} = 97.68 + \frac{8.76 - 97.68}{1 + \left(\frac{x}{205.87}\right)^{1.79}}$	189.94	
	3	2.42	$\hat{y} = 106.72 + \frac{8.96 - 106.72}{1 + \left(\frac{x}{265.53}\right)^{1.51}}$	214.38	
13	1	1.63	$\hat{y} = 67.19 + \frac{8.10 - 67.19}{1 + \left(\frac{x}{53.20}\right)^{3.29}}$	69.76	83.86
	2	10.19	$\hat{y} = 0.85 + 0.1192x + 0.00932x^2 - 0.000041x^3$	81.16	
	3	13.70	$\hat{y} = -5.58 + 0.7470x - 0.001936x^2$	100.67	
14	1	8.30	$\hat{y} = -14.22 + 0.6860x - 0.001371x^2 + 0.000001x^3$	119.79	115.73
	2	6.67	$\hat{y} = -15.93 + 0.6889x - 0.001296x^2 + 0.000001x^3$	120.47	
	3	4.20	$\hat{y} = -0.41 + 0.5763x - 0.001088x^2 + 0.000001x^3$	106.94	

## 5. CONCLUSION

Simple linear regression is the simplest model to fit the dose-response curve to look for the IC<sub>50</sub>. When it comes to situations where other polynomial regression fits better than SLR, the model of SLR is often discarded. As recommended, non-linear regression such as four-parameter logistic regressions (4-PLR) often fits the dose-response data adequately than any other type of regression. However, referring to RMSE in this research, it was found that sometimes 4-PLR did not fit closely to the data. The linear regression or polynomial regressions fitted better than 4-PLR. Based on the RMSE value, it was found that the better model to determine the IC<sub>50</sub> of a series of synthetic compounds was polynomial regression of degree 2. The estimated regression model is  $\hat{y} = 17.01 + 0.1545x - 0.000082x^2$ . This model has an RMSE value of 6.97. Based on the model, the estimated IC<sub>50</sub> value was 245.52. Further inspection of the percentage

of inhibition (PI) for each compound collected must be carried out. More analysis has to be done to have better-fitted regression models with a more reliable half-maximal inhibitory concentration (IC<sub>50</sub>).

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